Math 222 Quiz 11

Dec. 2, 2010

Your Name:

Your Section:

Instructions: Since we missed many topics, for this quiz, time is **30** minutes and the total score is **15** points. Wait until the last minute.

- (a).P(1,1,1),Q(2,1,3),R(3,-1,1). Find the area of the triangle determined by these three points and one unit vector perpendicular to this triangle. If the points are P(1,1),Q(2,1),R(3,-1), find the area again.(4')
 (b). u = 2i + j, v = 2i j + k, w = i + 2k. Find the triple scalar product (u × v) ⋅ w and the volume of the parallelepiped determined by these three vectors.(2')
- 2. P(3, -2, 1) L: x = 1 + 2t, y = 2 t, z = 3t. Find the line through P and parallel to L (2'), the distance between P and L (2'), and the plane through P and perpendicular to L (2').
- 3. Choose **THREE** of the following. Circle directly. No need to explain. If you answer more than three, I'll grade the first three you answered. (3')
 - ①. If $\angle AOB = \pi/3$, the angle between \overline{AO} and \overline{OB} is: $(\pi/3 \text{ vs } 2\pi/3)$
 - 2. Is $\mathbf{a} \cdot (\mathbf{b} \times \mathbf{c})$ equal to $\mathbf{c} \cdot (\mathbf{b} \times \mathbf{a})$: (Yes vs No)
 - (3). If $\mathbf{u} \cdot \mathbf{v_1} = \mathbf{u} \cdot \mathbf{v_2}$, is $\mathbf{v_1} = \mathbf{v_2}$ right: (Yes vs No)
 - (4). If the relation in (3) is right for all **u**, what's the answer: (Yes vs No)

(5). $\mathbf{a} \cdot (\mathbf{b} \times \mathbf{c})$ is always the volume of the parallelepiped determined by the three vectors even if the determinant may be negative: (True vs False)

(6). $|\mathbf{a} \times \mathbf{b}|^2 + |\mathbf{a} \cdot \mathbf{b}|^2$ equals: $(|\mathbf{a} + \mathbf{b}|^2 \text{ vs } |\mathbf{a}|^2 |\mathbf{b}|^2)$